Solve the following absolute value equations algebraically. Circle or box your answer.

1.
$$|9x-2|=7$$

2.
$$|2x-4|=6x$$

3.
$$|-5x+1| = -3$$

Solve the following absolute value inequalities. Graph the solution set.



$$5. \quad |2x+3| \ge 1$$

Solution: ______

Solution: _____

$$6. \quad \left| \frac{1}{4}x + 3 \right| \le 1$$

7.
$$|8x-5| > -3$$

Solution: _____

Solution:

Identify the <u>vertex</u> of the function, tell whether the function opens up or down, and tell whether the graph is wider, narrower, or the same width as the graph of f(x) = |x|.

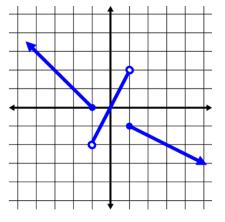
8.
$$f(x) = 3 |x| + 2$$

9.
$$g(x) = -|x + 1| - 5$$

10.
$$h(x) = \frac{1}{2}|x-3|$$

11. Analyze the characteristics of the function shown in the graph.

- domain: _____
- range: _____ b.
- x-intercept(s): ______ y-intercept: _____ C.
- x-coordinate of point(s) of discontinuity: d.
- interval of increase: _____ e.
- f. interval of decrease: _____



g. Equation:

$$f(x) = \left\{ \frac{1}{x^2 + x^2} \right\}$$

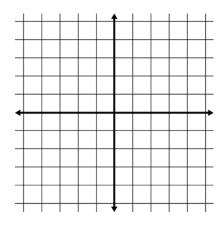
Use the function $f(x) = \begin{cases} 3x + 2, x \le 3 \\ x - 1, x > 3 \end{cases}$ to evaluate the following:

13.
$$f(0) =$$

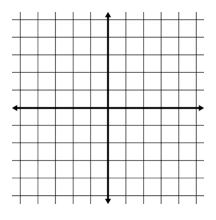
12.
$$f(5) =$$
 13. $f(0) =$ 14. $f(3) =$

Graph the following piece-wise defined function:

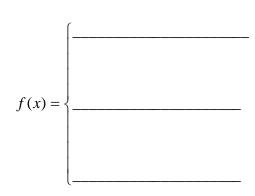
15.
$$f(x) = \begin{cases} \frac{-1 & if - 5 \le x < -2}{1 & if - 2 \le x < 1} \\ \hline 3 & if \ 1 \le x < 3 \end{cases}$$

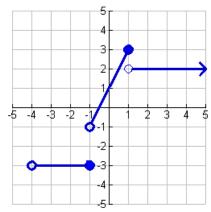


16.
$$f(x) = \begin{cases} -x - 2 & x \le -2 \\ x - 1 & -2 < x < 2 \\ \frac{1}{2}x - 3 & x \ge 2 \end{cases}$$



17. Write the equation for the piecewise function whose graph is shown. Include the appropriate restrictions on the domain.





Solve.

18.
$$\sqrt{5x-4} + 2 = x$$

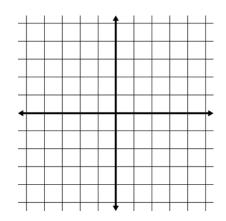
18.
$$\sqrt{5x-4} + 2 = x$$
 19. $\sqrt[3]{5x-8} = \sqrt[3]{12-3x}$

20.
$$(7p-1)^{\frac{1}{3}} + 11 = 7$$

Graph the following functions and tell the transformations for each.

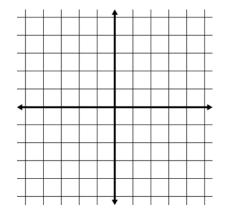
21.
$$f(x) = 2\sqrt{x-3} + 2$$

(h,k):



Starting Pt:	Inc or Dec:
Domain:	Range:
Abs. Max or Abs Min:	
End Behavior: $X \rightarrow \underline{\hspace{1cm}}, f(X) \rightarrow \underline{\hspace{1cm}}$	$x \rightarrow \underline{\hspace{1cm}}, f(x) \rightarrow \underline{\hspace{1cm}}$

22.
$$y = -3\sqrt[3]{x+2} + 2$$
 (h,k):



Starting Pt:	Inc or Dec:
Domain:	Range:
Abs. Max or Abs Min:	
End Behavior: $X \rightarrow \underline{\hspace{1cm}}, f(x) \rightarrow \underline{\hspace{1cm}}$	$x \rightarrow $, $f(x) \rightarrow $